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- Degree

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- Degree, Master

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- Degree, Master and PhD

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$$G \to \mathrm{Sym}(n)$$

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permutation groups

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representation theory

# A little bit of my research

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Related to primes $p$ dividing $|G|$ (local subgroups).

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$\mathbf{N}_G(P)$, $\mathbf{C}_G(P)$, $P$ where $P$ is a non-trivial $p$-subgroup.

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Find global local character correspondences that commute with the action of $\mathcal{H}$ on character ($\mathcal{H}$ is a Galois group over $\mathbb{Q}_p$).

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♥ Global local theory lies at the heart of the GRTA program ♥