

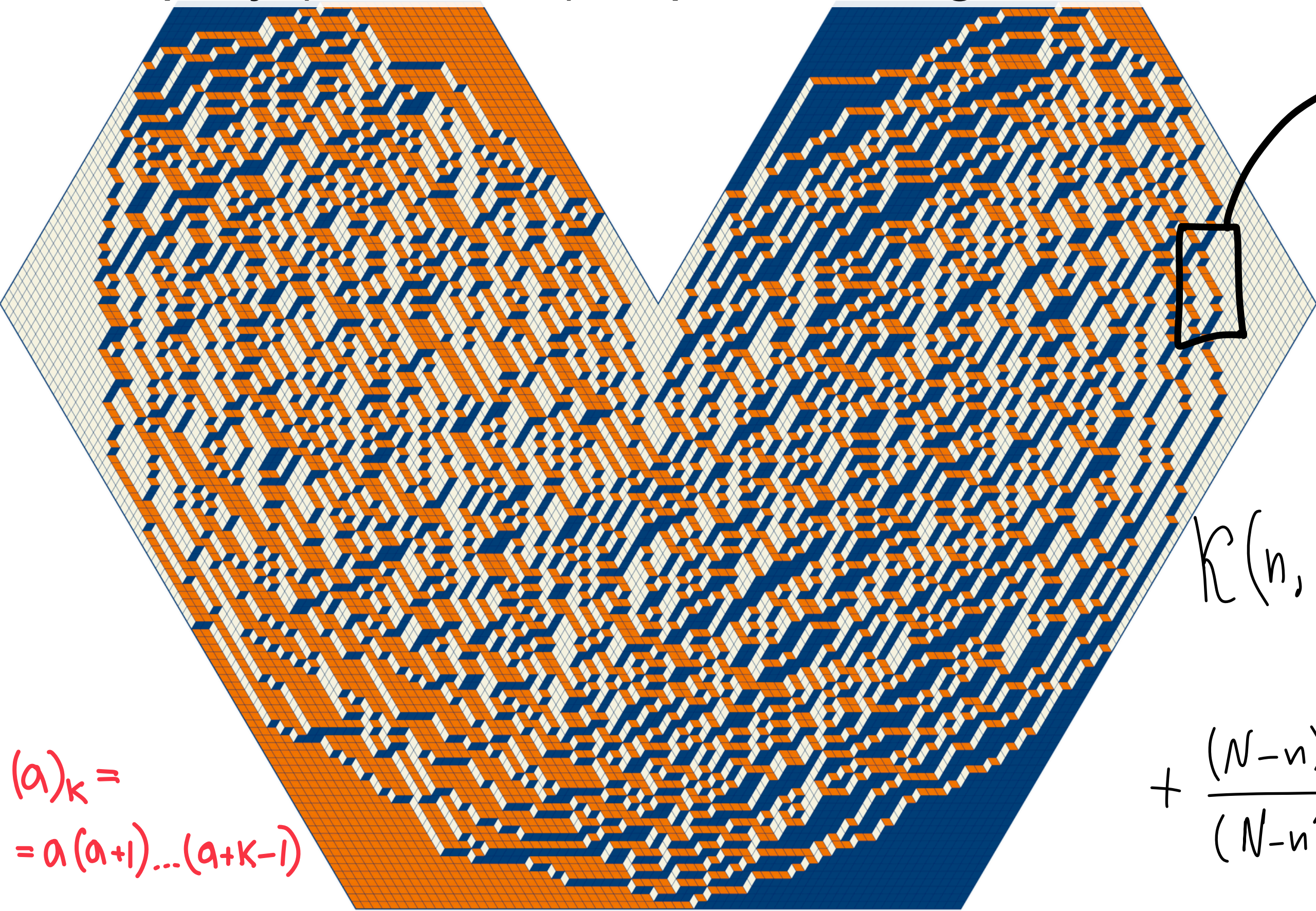
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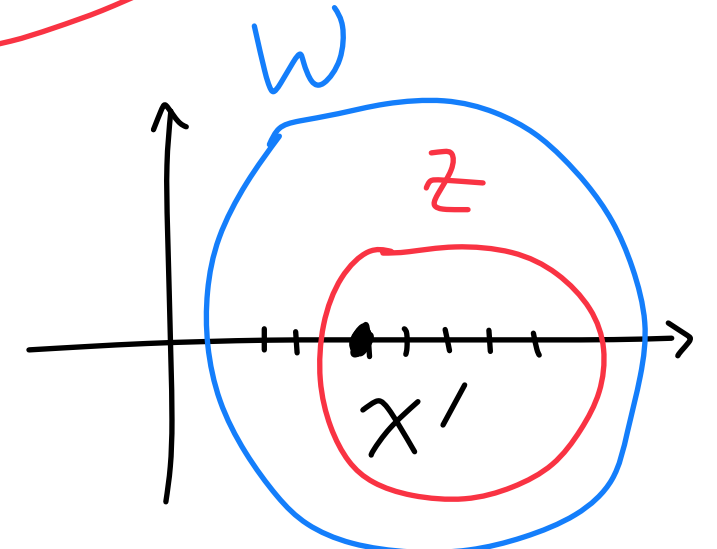


$$\text{Prob} \left[\begin{array}{ccc} \diamond & \diamond & \\ & \diamond & \\ x_1 & x_3 & x_2 \end{array} \begin{array}{l} n_1 = n_2 \\ n_3 \end{array} \right] = \det \left[K(n_i, x_i; n_j, x_j) \right]_{3 \times 3}$$

(and for all $3 = n$)




$$K(n, x; n', x') = -\mathbb{1}_{n' < n, x' \leq x} \frac{(x - x' + 1)_{n - n' - 1}}{(n - n' - 1)!}$$

$$+ \frac{(N - n)!}{(N - n' - 1)!} \frac{1}{(2\pi i)^2} \oint \oint \frac{(z - x' + 1)_{N - n' - 1}}{(w - x)_{N - n + 1}} \cdot \frac{dz dw}{w - z} \cdot \prod_{r=1}^N \frac{w - \alpha_r}{z - \alpha_r}$$



$$(a)_k = a(a+1)\dots(a+k-1)$$

Keywords

- **Dimer models / random \diamond tilings / determinantal processes**
- **Symmetric functions: Schur / Macdonald / Hall-Littlewood polynomials; their spin deformations; Whittaker functions**
- **Robinson-Schensted-Knuth (RSK) correspondences,  randomized bijections a la RSK; bijections  particle systems**
- **Integrable stochastic particle systems with many parameters: noncolliding walks, random polymers, ASEP,**
- **Stochastic vertex models,  Yang-Baxter equation**

