

Title: Homomorphisms from Random Walks

Speaker: Anders Karlsson

Abstract: I will discuss a construction of homomorphisms from finitely generated groups G to the reals $\mathbb{R}$ coming from random walks on G . If the square of the drift grows faster than the entropy, one can get a nontrivial such homomorphism. One consequence is that if G lacks nontrivial homomorphisms to $\mathbb{R}$ or if the random walk is symmetric of finite second moment, then one has that the entropy must dominate the square of the drift, even in cases where the Varopoulos-Carne bounds are not available. Some further variants of this construction and consequences may be discussed. This is based on joint work with A. Erschler.